The energetic electron population dynamics at Jupiter, Saturn, Uranus and Neptune as revealed by historical spacecraft observations and physics-based models

Daniel Santos-Costa^{1,1}, Quentin Nénon^{2,2}, Emma Woodfield^{3,3}, Henry Garrett^{4,4}, Insoo Jun^{4,4}, and Angélica Sicard^{5,5}

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Abstract

We review the mechanisms that shape the spatial distributions of energetic electrons trapped in the magnetospheres of Jupiter, Saturn, Uranus and Neptune. To determine what controls the energy and spatial distributions throughout the different magnetospheres, we compute the time evolution of particle distributions with the help of a diffusion theory particle transport code that solves the governing 3-D Fokker-Planck equation. We discuss the processes already accounted for in our physics-based models of the outer planet electron radiation belts but also those suspected to be missing to improve our model results. Our theoretical modeling is guided by the analysis of particle, field and wave data collected by Pioneer 10&11 and Galileo at Jupiter, Cassini at Saturn, and during Voyager 2's flyby of Uranus in January 1986 and at Neptune in August 1989.

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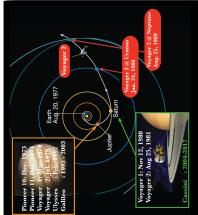
THE ENERGETIC ELECTRON POPULATION DYNAMICS AT JUPITER, SATURN, URANUS AND NEPTUNE **AS REVEALED BY HISTORICAL SPACECRAFT OBSERVATIONS AND PHYSICS-BASED MODELS**

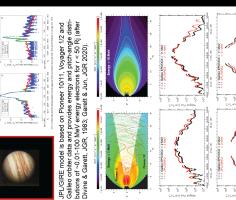
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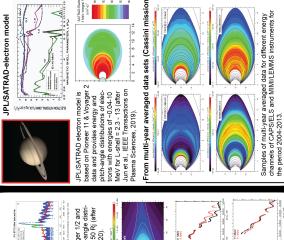
Daniel Santos-Costa⁽¹⁾, Quentin Nenon⁽²⁾, Emma Woodfield⁽³⁾, Henry Garrett⁽⁴⁾, Insoo Jun⁽⁴⁾, Angelica Sicard⁽⁵⁾ (1) Southwest Research Institute, USA (2) IRAP, France (3) BAS, UK (4) NASA/JPL (5) ONERA/DPHY, France

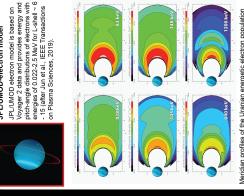
DATA-BASED MODELS of OUTER PLANETS' ENERGETIC ELECTRON DISTRIBUTIONS

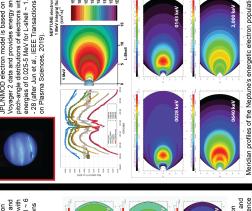
JPL/GIRE model







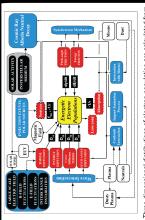




989; Garrett & Evans, 2017).

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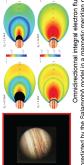
INSIGHTS into OUTER PLANETS' ENERGETIC ELECTRON DISTRIBUTIONS from PHYSICS-BASED MODELS



numerical solutions of the governing 3-D Fokker-Planck equation $(S) - (L) + \left[\frac{1}{G}\frac{\partial G}{\partial L}D_{LL} + \frac{\partial D_{LL}}{\partial L}\right]\frac{\partial f^{\times}}{\partial L} + (D_{LL})\frac{\partial^{2}f^{\times}}{\partial L^{2}}$

 $\frac{1}{G'}\left(\frac{\partial G'}{\partial E}\right)\left(\sum\frac{dE}{dt}\right) + \sum\frac{\partial}{\partial E}\left(\frac{dE}{dt}\right) - \frac{1}{G'}\left(\frac{\partial G'}{\partial y}\right)\left(\frac{dy}{dt}\right) - \frac{\partial}{\partial y}\left(\frac{dy}{dt}\right)\right]f'$ $-\frac{\partial D_{Ey}}{\partial E} - \frac{1}{G'} \left(\frac{\partial G'}{\partial y} \right) \left(\sum D_{yy} \right) - \sum \frac{\partial D_{yy}}{\partial y} \right] \frac{\partial f^*}{\partial y}$ $-\frac{1}{G'}\left(\frac{\partial G'}{\partial y}\right)D_{yE}-\frac{\partial D_{yE}}{\partial y}\left]\frac{\partial f^*}{\partial E}\right.$ $+2(D_{yE})\frac{\partial^2 f}{\partial E \partial y} + \left(\sum D_{yy}\right)\frac{\partial^2 f}{\partial y^2}$

Radius, R.ptonest (km) 6.373 Spin Period (Hours) 24 Dipolar Magnetic Moment (G) 0.31 Dipolar TH and Sense (G) 1.13° Moan Distance from Sun (A1)	2		Saturn	Uramie	
(km) urs) c Moment (G) Sense	22				
irs) c Moment (G) Sense com Sun (AT)		71.398	60.330	25.559	
Sense Sonse		0.0	201	17.9	
Sense rom Sun (AII)		4.17	0.21	0.23	
rom Sun (AII)	30	-10.3°	-0.0°	-58.6°	
		5.2	5.6	10	
(nPa)	7	~0.04-0.2	~0.01-0.04	~0.003-0.006	
(stu)	-300	~60-300	~60-300	~60-300	
	~<5 10°	~<6 10°	~1 10°-8 10°	~2 108-1 109	
Size of Magnetosphere 11 /	Re	50-100 R	16-22 Re	_	
oolis		4 (< 5 R)	20 (< 15 Re)	8	
Number of Dust Systems (Rings) 0		$5 (< 5 R_J)$	$8 (< 15 R_S)$	_	



predicted by the Salammbô mafter Nenon et al., JGR 2017)

ອກອເຊງ and angular res-ວonse of electron popula-ion to <u>Whistler mode Hiss waves</u> (after Woodfield et al., GRL, 2022)

(Right) Theoretical radial,

